

Mr. Gokula Nanda Chhatra, NFSC(RGNF) Fellow, JRF



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<i>Details of the funding agency/ scheme</i>	UGC-NFSC(RGNF), Govt. of India, New Delhi. Letter No-F1.1/2017-18/RGNF-2017-18-SC-ORI-35849 /(SA-III/Website).
<i>Title of the research topic</i>	On Oscillation Properties of Impulsive Difference Equations.
<i>Abstract of the research work (max. 300 words)</i>	The objective of this research work is to study the oscillatory and nonoscillatory solutions of the following neutral impulsive difference systems: 1) $\Delta[y(n) + p(n)y(n - \tau)] + q(n)F(y(n - \sigma)) = 0, \quad n \neq m_j, \quad j \in \mathbb{N}$ $\Delta[y(m_j - 1) + p(m_j - 1)y(m_j - \tau - 1)] + r(m_j - 1)F(y(m_j - \sigma - 1)) = 0, \quad j \in \mathbb{N}.$

$$2) \Delta[y(n) + p(n)y(n - \tau)] + q(n)G(y(n - \sigma)) = f(n), \quad n \neq m_j, \quad j \in \mathbb{N}$$

$$\Delta[y(m_j - 1) + p(m_j - 1)y(m_j - \tau - 1)] + r(m_j - 1)G(y(m_j - \sigma - 1)) = g(m_j - 1),$$

$j \in \mathbb{N}$.

$$3) \Delta^2[y(n) + p(n)y(n - \tau)] + q(n)F(y(n - \sigma)) = 0, \quad n \neq m_j, \quad j \in \mathbb{N}$$

$$\Delta^2[y(m_j - 1) + p(m_j - 1)y(m_j - \tau - 1)] + r(m_j - 1)F(y(m_j - \sigma - 1)) = 0, \quad j \in \mathbb{N}.$$

$$4) \Delta^2[y(n) + p(n)y(n - \tau)] + q(n)G(y(n - \sigma)) = f(n), \quad n \neq m_j, \quad j \in \mathbb{N}$$

$$\Delta^2[y(m_j - 1) + p(m_j - 1)y(m_j - \tau - 1)] + r(m_j - 1)G(y(m_j - \sigma - 1)) = g(m_j - 1), \quad j \in \mathbb{N}.$$

for all ranges of $p(n)$, $-\infty < p(n) < \infty$. Also, an attempt shall be made to study the oscillation and nonoscillation properties of the following difference equations

- 5) $y(n + 2) + p(n)y(n + 1) + q(n)y(n) = 0$
- 6) $y(n + 2) + p(n)y(n + 1) + q(n)y(n) = f(n)$
- 7) $y(n + 3) + p(n)y(n + 2) + q(n)y(n + 1) + r(n)y(n) = 0$
- 8) $y(n + 3) + p(n)y(n + 2) + q(n)y(n + 1) + r(n)y(n) = f(n)$

under the impulsive perturbation

$$x(n_k) = M_k(x_{n_k} - 1), \quad k \in \mathbb{N}$$

	such that $c_k \leq \frac{M_k(x)}{x} \leq c_k^*, k \in N$.
<i>Progress of the research work</i>	
<i>Journal publication (International)</i>	
<i>Conference attended</i>	1) Attended “TEOIP Sponsored Two Days International Workshop Recent Trends in Mathematics and Applications(IWRTMA-2016)” held at Veer Surendra University of Technology, Burla, Odisha, INDIA during 1th - 2th August, 2016.
<i>Awards</i>	1) Qualified CSIR-UGC NET DEC-2016 in Mathematical Sciences. 2) Awarded the NFSC (RGNF) by University Grant Commission(UGC), New Delhi, Govt. of India for the academic year 2017-18.